# Speeding-up Hyperparameter **Optimization with transfer and** meta learning **Metaheuristics Summer School.**

David Salinas. July 2024.

## Goals

- Understand benefit of transfer learning to speed-up HPO
- Understand the key challenges to apply transfer learning to HPO
- Get an idea of the main techniques being used in state-of-the-art methods
- Know how to apply transfer learning to your problem

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• Transfer learning is a subfield that speeds up HPO by looking at previous evaluations





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  - exploit information from previous HPO runs

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An example of a search space  $\mathcal X$ 

Hyperparameter	Range	
Architecture	{ConvNext, ViT, EfficientNet}	C
Dropout	[0.0, 1.0]	ι
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- What if we had extra evaluations?

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#### Leveraging extra evaluations Why we expect it to work



task	model	learning-rate
electricity	LSTM	0.001
electricity	Transformer	0.001
electricity	Transformer	1.0
traffic	LSTM	0.1
traffic	Transformer	0.004

#layers	error
10	0.1
10	0.08
2	0.9
2	0.9
2.5	0.03



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How to exploit pastobservations to speed-up the search of a new task?



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- Can we use  $\mathscr{D}^M$  to find good hyperparameter on our new task *f* **much faster**?

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Can you think about potential strategies?

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**Best configuration** on task *i* 0.4 0.2 10 Search space restricted to an ellipsoid containing previous best configurations Prune search space to an ellipse containing the best





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Need to handle many observations: hard to apply (approximate) Gaussian then how to address computational issues



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# Gaussian Copula Transform Nice properties







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Original distribution

Solution F(y)?











# **Nice properties**



















$$rightarrow z^{j} = \Psi(y^{j}) \sim \mathcal{N}(0,1)$$
 (great for GP)





### **Gaussian Copula Transform** Learning joint representations across tasks



**Left:** Plot blackbox error y in log-space against a single hyperparameter x for different tasks. with shared parameters  $\theta$ .

**Middle:** Running mean after transforming each task objectives with  $z = \psi(y) = \Phi^{-1} \circ F(y)$ . **Right:** Illustrative plot of possible mean/variance fit of a model  $\mu_{\theta}(x), \sigma_{\theta}(x)$  trained jointly on all tasks

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  - Scale with many offline evaluations: inference done with a single pass over an MLP

- Outline:
  - Transform  $z = \psi(y)$  where  $\Psi = \Phi^{-1} \circ F$  on every task
  - Learn a parametric prior with a MLP that predicts  $z \mid x \approx \mathcal{N}(\mu_{\theta}(x), \sigma_{\theta}^2(x))$
  - Strategy 1: Thompson sampling with predictive distribution  $z \mid x \approx \mathcal{N}(\mu_{\theta}(x), \sigma_{\theta}^2(x))$
  - Strategy 2: Optimise with Gaussian Copula Process using  $\mathcal{N}(\mu_{\theta}(x), \sigma_{\theta}^2(x))$  as a prior
- Benefits:
  - Amplitude, noise issues: addressed by using  $\psi$
  - Scale with many offline evaluations: inference done with a single pass over an MLP
  - Negative transfer: alleviated with a Gaussian Copula Process

# Gaussian Copula Process with Parametric Prior (GC3P)

High-level idea: A Gaussian Copula Process whose prior is  $\mathcal{N}(\mu_{\theta}(x), \sigma_{\theta}^2(x))$ 



# Gaussian Copula Process with Parametric Prior (GC3P)

Standard Gaussian Process

High-level idea: A Gaussian Copula Process whose prior is  $\mathcal{N}(\mu_{\theta}(x), \sigma_{\theta}^2(x))$ 





Standard Gaussian Process





Standard Gaussian Process





Standard Gaussian Process





Standard **Gaussian Process**  Gaussian Copula Process







Gaussian Copula Process





Gaussian Process

Process













### **Evaluations**

### **Evaluations**

#### Evaluations on 4 blackboxes with precomputed evaluations
- Evaluations on 4 blackboxes with precomputed evaluations
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blackbox	# tasks	# hyperparameters	# evaluations/task	objective
DeepAR	11	6	~ 220	quantile loss
FCNET	4	9	62208	MSE
XGBoost	9	9	5000	1-AUC
NAS	3	6	46875	accuracy

	DeepAR	FCNET	XGBoost	NAS
RS GP GCP	7.1 7.9	10.8 8.0	8.2 8.4	11.7 9.3
AutoGP WS GP ABLR SGPT BOHB R-EA REINFORCE				
CTS (ours) GCP + prior (ours) TS (w/o Copula) GP + prior (w/o Copula) ABLR + Copula SGPT + Copula				

	DeepAR	FCNET	XGBoost	NAS	
RS GP GCP	7.1 7.9	10.8 8.0	8.2 8.4	11.7 9.3	GP > RS as the method can exploit
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RS GP GCP	7.1 7.9 4.3	10.8 8.0 3.8	8.2 8.4 <b>3.1</b>	11.7 9.3 7.7	GP > RS as the method can exploit GCP > GP as we made less restriction on the noise
AutoGP WS GP ABLR SGPT BOHB R-EA REINFORCE					
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### Table: Average method rank, best two methods are in bold.

	DeepAR	FCNET	XGBoost	NAS	
RS GP	7.1 7.9	10.8 8.0	8.2 8.4	11.7 9.3	GP > RS as the method can exploit
GCP	4.3	3.8	3.1	7.7	GCP > GP as we made less restriction on the noise
AutoGP	7.3	5.5	4.2	2.7	-
WS GP	7.6	5.2	5.9	6.0	
ABLR	10.2	10.2	9.1	10.3	
SGPT	8.8	8.2	8.6	7.3	
BOHB	-	-	-	14.3	
R-EA	-	-	-	10.0	
REINFORCE	-	-	-	13.0	

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GCP	4.3	3.8	3.1	7.7	$\mathbf{A}$ GCP > GP as we made less restriction on the noise
AutoGP WS GP ABLR	7.3 7.6 10.2	5.5 5.2 10.2	4.2 5.9 9.1	2.7 6.0 10.3	Transfer learning generally improve performance
SGPT BOHB R-EA REINFORCE	8.8 - - -	8.2 - - -	8.6 - -	7.3 14.3 10.0 13.0	

CTS (ours) GCP + prior (ours) TS (w/o Copula) GP + prior (w/o Copula) ABLR + CopulaSGPT + Copula

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GCP	4.3	3.8	3.1	7.7	$\int GCP > GP$ as we made less restriction on the n
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REINFORCE	-	-	-	13.0	
CTS (ours)	4.5	2.5	7.6	2.7	
GCP + prior (ours)	1.7	1.0	1.9	1.3	
TS (w/o Copula)	13.0	13.0	12.7	14.7	
GP + prior (w/o Copula)	11.8	12.0	11.0	15.3	
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AutoGP WS GP ABLR SGPT BOHB R-EA REINFORCE	7.3 7.6 10.2 8.8 - -	5.5 5.2 10.2 8.2 - -	4.2 5.9 9.1 8.6 - -	2.7 6.0 10.3 7.3 14.3 10.0 13.0	Transfer learning generally improve performance
CTS (ours) GCP + prior (ours) TS (w/o Copula) GP + prior (w/o Copula) ABLR + Copula SGPT + Copula	4.5 <b>1.7</b> 13.0 11.8 <b>3.1</b> 3.7	<b>2.5</b> <b>1.0</b> 13.0 12.0 5.5 5.2	7.6 <b>1.9</b> 12.7 11.0 7.0 3.3	<b>2.7</b> <b>1.3</b> 14.7 15.3 5.7 4.0	Parametric prior improves over baseline significantly Only if we use the right transformation

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GP + prior (w/o Copula)	11.8	12.0	11.0	15.3	
ABLR + Copula	3.1	5.5	7.0	5.7	$\checkmark$ Using this transformation also improves baselines a
SGPT + Copula	3.7	5.2	3.3	4.0	

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- Improvement over random search (<sup>†</sup>), tasks sorted by transfer learning difficulty (RMSE of prior predictor on the new task)



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**GCP** is robust to negative transfer even in challenging scenarios ...





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... as opposed to CTS that just exploits prior from transfer learning



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- Robust to outliers and scale changes between tasks

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### Parikshit Ram<sup>1</sup>

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Abstract We study the general framework of warm-started hyperparameter optimization (HPO) where we have some source datasets (tasks) on which we have already performed HPO, and we wish to leverage the results of these HPO to warm-start the HPO on an unseen target dataset and perform few-shot HPO. Various meta-learning schemes have been proposed over the last decade (and more) for this problem. In this paper, we theoretically analyse the optimality gap of the hyperparameter obtained via such warm-started few-shot HPO, and provide novel results for multiple existing meta-learning schemes. We show how these results allow us identify situations where certain schemes have advantage over others.



**Left:** Plot blackbox error y in log-space against a single hyperparameter x for different tasks. **Middle:** Running mean after transforming each task objectives with  $z = \psi(y) = \Phi^{-1} \circ F(y)$ . **Right:** Illustrative plot of possible mean/variance fit of a model  $\mu_{\theta}(x), \sigma_{\theta}(x)$  trained jointly on all with shared parameters  $\theta$ .





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**Corollary 5.1.** Under conditions of Theorem 5.1 and Assumption 3.2, we bound the optimality  $ga_i$  $L(\hat{\theta}; D) - L(\theta^{\star}; D) \leq 2\epsilon + 2\beta \cdot \max_{\theta \in \Theta} \sum_{t \in \Theta} \alpha_t(\theta) W_1(P_{\theta}(D), P_{\theta}(D_t)).$  $t \in [T]$ 

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of Theorem 5.1 and Assumption 3.2, we bound the optimality  $ga_1$ Gap with optimal performance  $L(\hat{\theta}; D) - L(\theta^{\star}; D) \leq 2\epsilon + 2\beta \cdot \max_{\theta \in \Omega} \sum_{t \in \Omega} \alpha_t(\theta) W_1(P_{\theta}(D), P_{\theta}(D_t)).$  $t \in [T]$ 

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Methods Optformer





Assume you have a lot of offline evaluation of tuning runs ullet



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"categories": ["SGD", "Adam"],
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"parameter": {
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### **Database of HPO runs containing**

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Figure 1: Illustration of the OPTFORMER model over a hyperparameter optimization trajectory. It is trained to predict both hyperparameter suggestions (in green) and response function values (in red).

### **Optformer** Imitating other HPO methods



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Figure 4: Higher is better. Best normalized function value averaged over 16 RealWorldData test functions (left) and over 86 HPO-B test functions (right) with 1-std confidence interval from 5 runs. GP\* and DGP\* results are provided by [5]. The transfer learning methods ABLR, FSBO and HyperBO cannot be applied to RealWorldData.

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\* private model and evaluation code





# **Application: Improving Tabular prediction with transfer learning**

Tabular prediction: problem definition

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- Current state of tabular prediction evaluation

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- A quick glance at the current SOTA tabular system: AutoGluon

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- Current state of tabular prediction evaluation
- A quick glance at the current SOTA tabular system: AutoGluon
- Improving AutoGluon with offline evaluations and portfolio learning

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import pandas as pd
from autogluon.tabular import TabularPredictor
df_train = pd.read_csv('train.csv')
df_test = pd.read_csv('train.csv')
predictor = TabularPredictor(label='class').fit(df_train)
predictions = predictor.predict(df_test)
```



Input: a training data frame, a target column and a training time • budget

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- Metrics:
  - RMSE (regression), log-prob (classification)  $\bullet$
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- Potential candidate: any tabular method and system that returns predictions given the time constrain
  - Can consider multiple model family, ensemble, ...

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  - Then perform *ensembling*: by estimating the weights on holdout data
- Lets have a look at Autogluon now!



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(A) AutoML Benchmark (1h)

Erickson & Mueller et al 2020

### Auto-WEKA + H2O AutoML + GCP-Tables \* AutoGluon bnp-paribas 🛞 santander-trans.. santander-satis.. porto-seguro ieee-fraud walmart-recruit ... otto-group house-prices allstate-claims mercedes-benz santander-value 0.2 0.0 0.1 0.7 0.60.3 1.0 0.5 Percentile Rank on Leaderboard

(B) Kaggle Benchmark (4h)





Erickson & Mueller et al 2020



Erickson & Mueller et al 2020

regression datasets

AutoML Benchmark [Ginsberg et al 2023] considered 71 classification and 33

## AutoML Benchmark [Ginsberg et al 2023] considered 71 classification and 33 regression datasets

Journal of Machine Learning Research 1 (2000) 1-48

Submitted 4/00; Published 10/00

### AMLB: an AutoML Benchmark

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Figure 4: Scaled performance for each framework under different time constraints. Only frameworks which have evaluations on all tasks for both time constraints are shown. Performance generally does not improve much with more time.

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#### Considered 9 AutoML frameworks, evaluated on 1h and 4h fitting budget AutoGluon best model by a large margin How does this work?



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David Salinas<sup>1,\*</sup> Nick Erickson<sup>1,\*</sup>

TabRepo: A Large Scale Repository of Tabular Model **Evaluations and its AutoML Applications** 

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The dataset combined with portfolio learning allows to outperform Autogluon!

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Figure 2: Normalized error for all model families when using default hyperparameters, tuned hyperparameters, and ensembling after tuning. All methods are run with a 4h budget.

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Table 2: Performance of AutoGluon combined with portfolios on AMLB.

method	win-rate	loss reduc.
AG + Portfolio (ours)	-	0%
AG	67%	2.8%
MLJAR	81%	22.5%
lightautoml	83%	11.7%
GAMA	86%	15.5%
FLAML	87%	16.3%
autosklearn	89%	11.8%
H2OAutoML	<b>9</b> 2%	10.3%
CatBoost	94%	18.1%
TunedRandomForest	94%	22.9%
RandomForest	97%	25.0%
XGBoost	98%	20.9%
LightGBM	98%	23.6%





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# **Try it out for your self!**



### https://github.com/autogluon/autogluon





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State of the art for tabular prediction and time series forecasting





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# Code and libraries





Documentation | Tutorials | API Reference | PyPI | Latest Blog Post



### Syne Tune

- ZeroShot/Portfolio
- CTS
- RUSH
- Bounding-box
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🌐 README 🏘 Apache-2.0 license

### Neural Pipeline Search (NePS)

pypi v0.12.1 python 3.8 | 3.9 | 3.10 | 3.11 license Apache-2.0 💭 tests passing

Welcome to NePS, a powerful and flexible Python library for hyperparameter optimization (HPO) and neural architecture search (NAS) with its primary goal: make HPO and NAS usable for deep learners in practice.

NePS houses recently published and also well-established algorithms that can all be run massively parallel on distributed setups, with tools to analyze runs, restart runs, etc., all **tailored to the needs of deep learning** experts.

Take a look at our documentation for all the details on how to use NePS!

### Key Features

In addition to the features offered by traditional HPO and NAS libraries, NePS, e.g., stands out with:

1. Hyperparameter Optimization (HPO) with Prior Knowledge and Cheap Proxies:

NePS excels in efficiently tuning hyperparameters using algorithms that enable users to make use of their prior knowledge within the search space. This is leveraged by the insights presented in: • PriorBand: Practical Hyperparameter Optimization in the Age of Deep Learning

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### NEPSPrior band

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- Transfer learning can speed HPO significantly!